

CUREMhorizonte

Introduction: Risk in Real Estate Investments

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Risk in Finance





Risk in Finance

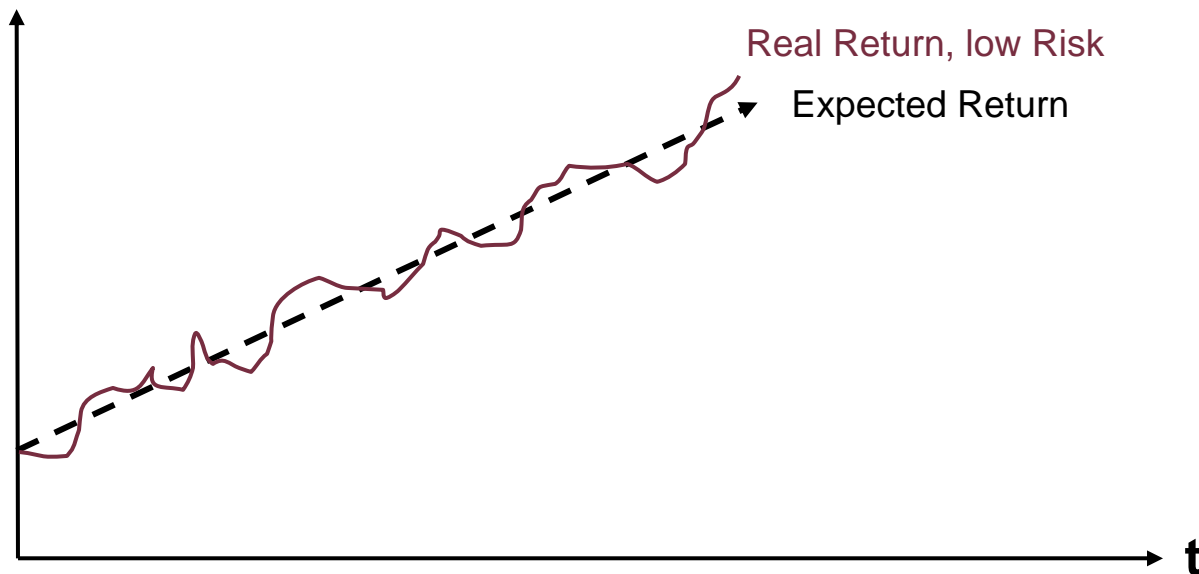




Risk in Finance

Risk in a finance context has a specific meaning (“view”) which should not be confused with our daily unspecific understanding of risk.

Risk in Finance is the – **positive and negative - uncertainty** of an expected outcome, often quantified as standard deviation (SD) of an expected return:

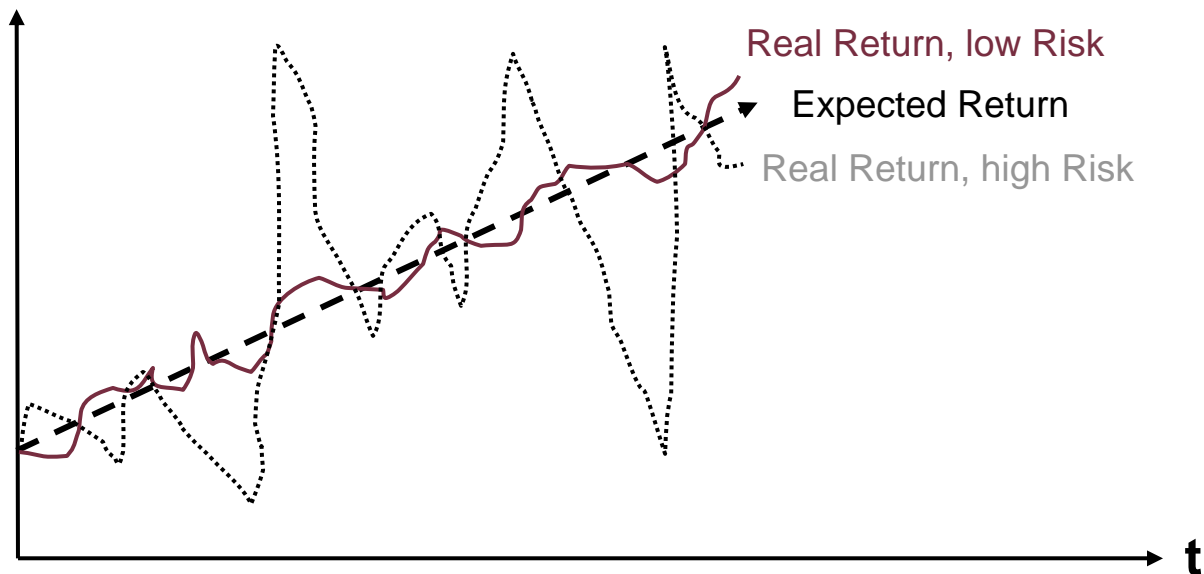




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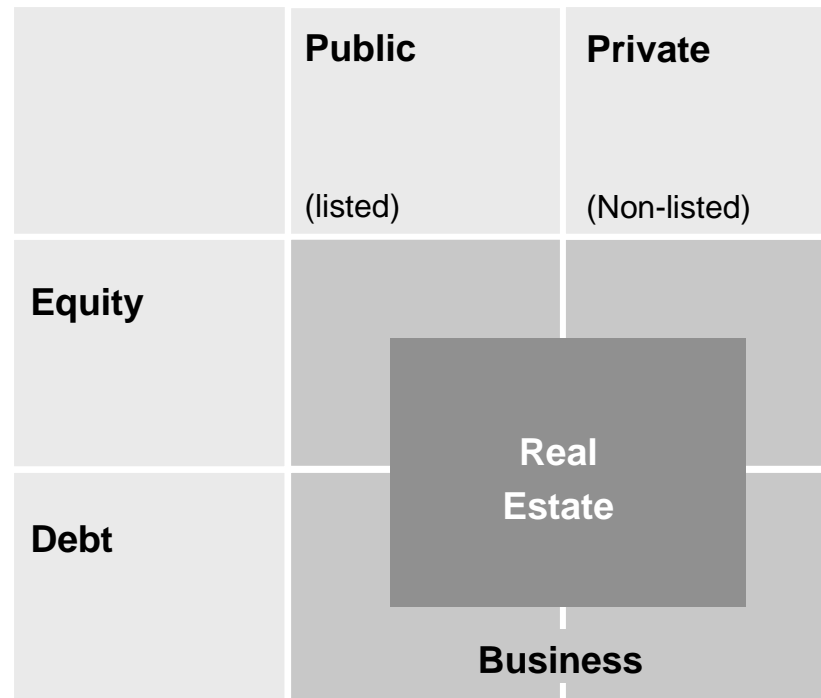


Risk in Finance: The real estate context

	Public (listed)	Private (Non-listed)
Equity		
Debt		



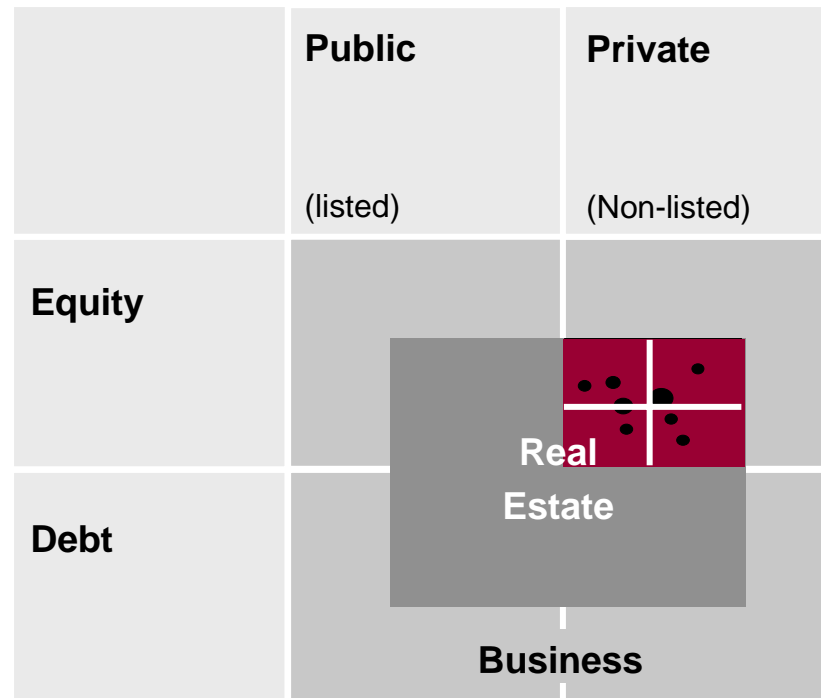
Risk in Finance: The real estate context - D-4-Q



Dual four quadrant approach (D-4-Q)
CUREM's integrative real estate investment approach



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Risk in a Portfolio Context

Portfolio-Return?

return(portfolio)



Risk in a Portfolio Context

Portfolio-Return?

$$\text{return}(\text{portfolio}) = \text{weight}(1) \times \text{return}(1) + \text{weight}(2) \times \text{return}(2)$$



Risk in a Portfolio Context

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$r(p) = w(1) \times r(1) + w(2) \times r(2), \quad w(1) + w(2) = 1$



Risk in a Portfolio Context

Portfolio-Return?

return(portfolio) = weight(1) x return(1) + weight(2) x return(2)

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Example:

$$\left. \begin{array}{ll} r(1) = 4\% & w(1) = 0.2 \\ r(2) = 10\% & w(2) = 0.8 \end{array} \right\} 1$$

$$0.2 \times 5\% + 0.8 \times 10\% = 9\%$$



Risk in a Portfolio Context

Portfolio-Risk?

$$\text{risk}(\text{portfolio}) = \text{weight}(1) \times \text{risk}(1) + \text{weight}(2) \times \text{risk}(2)$$



Risk in a Portfolio Context

Portfolio-Risk?

risk(portfolio) = weight(1) x risk(1) + weight(2) x risk(2)

SD(p) = w(1)SD(1) + w(2)SD(2), $w(1) + w(2) = 1$

SD = Standard Deviation





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Risk in a Portfolio Context

Portfolio-Risk

$$SD(p)^2 = w(1)^2SD(1)^2 + w(2)^2SD(2)^2 + 2w(1)w(2)\text{Cov}[r(1),r(2)]$$



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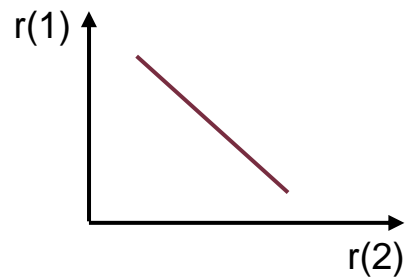
Risk in a Portfolio Context

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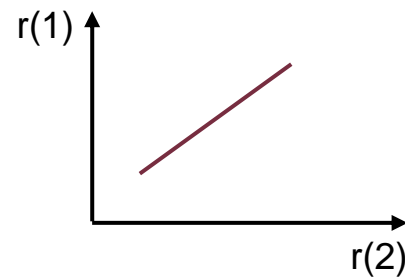
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Extrem 1: $\text{Corr} = -1$: $SD(p)$ can be 0

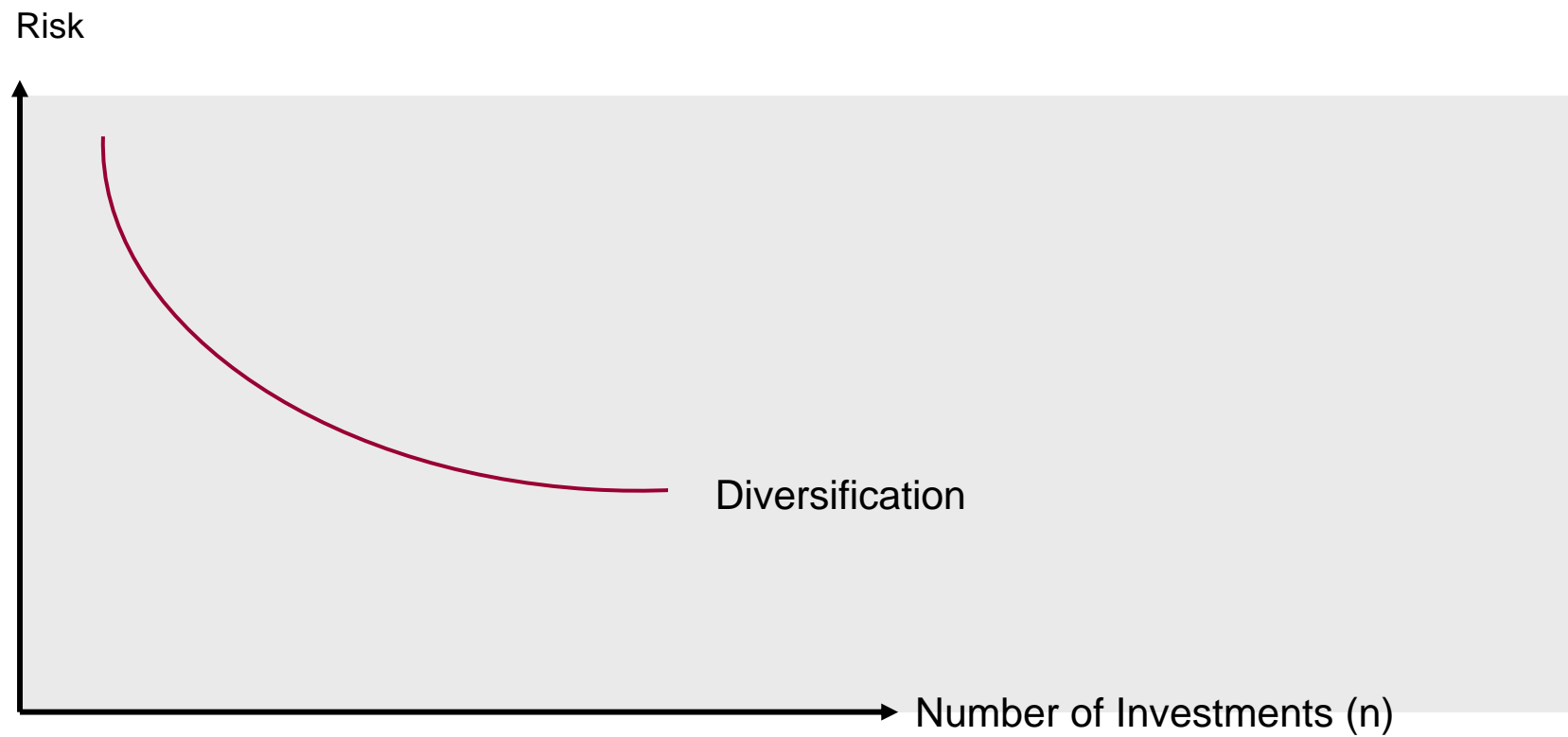


Extrem 2: $\text{Corr} = +1$: $SD(p) = w(1)SD(1) + w(2)SD(2)$





Risk in a Portfolio Context

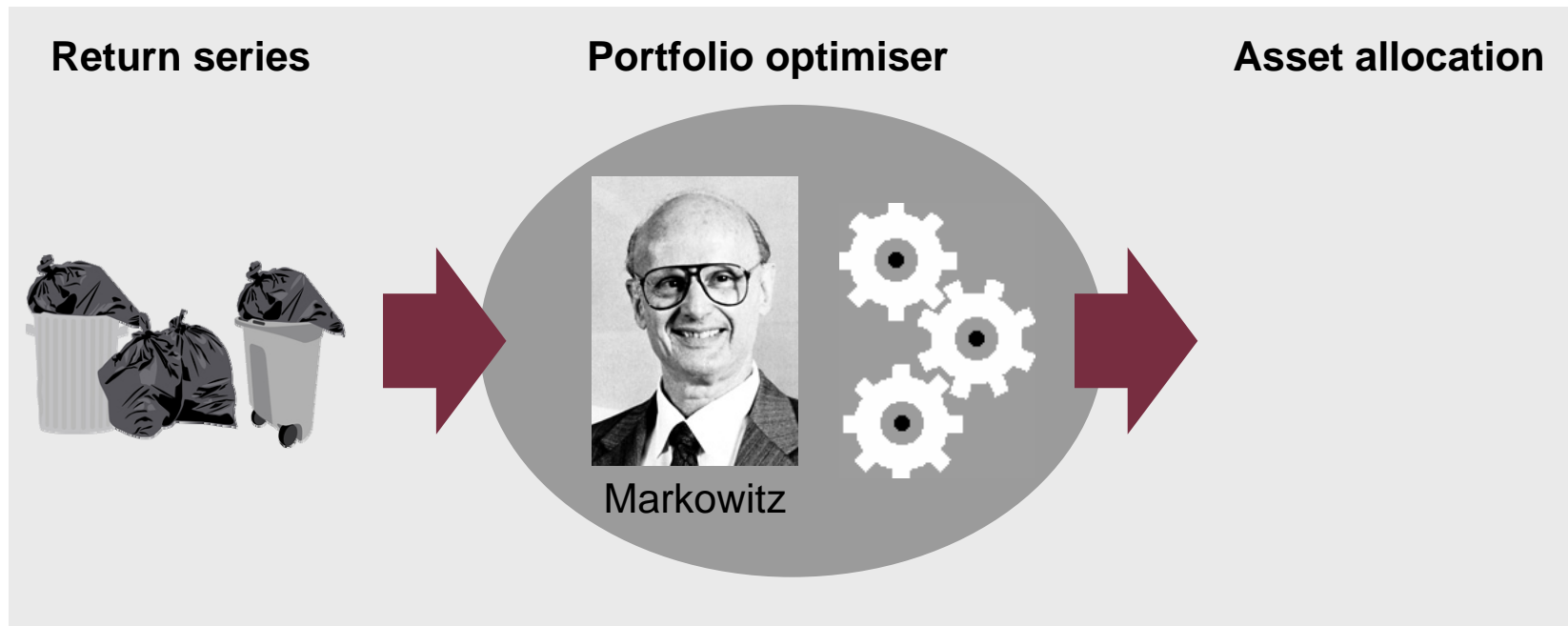




Risk in a Portfolio Context: The Trouble with Harry

Modern Portfolio Theory is nice in theory, but application to real estate meets several problems:

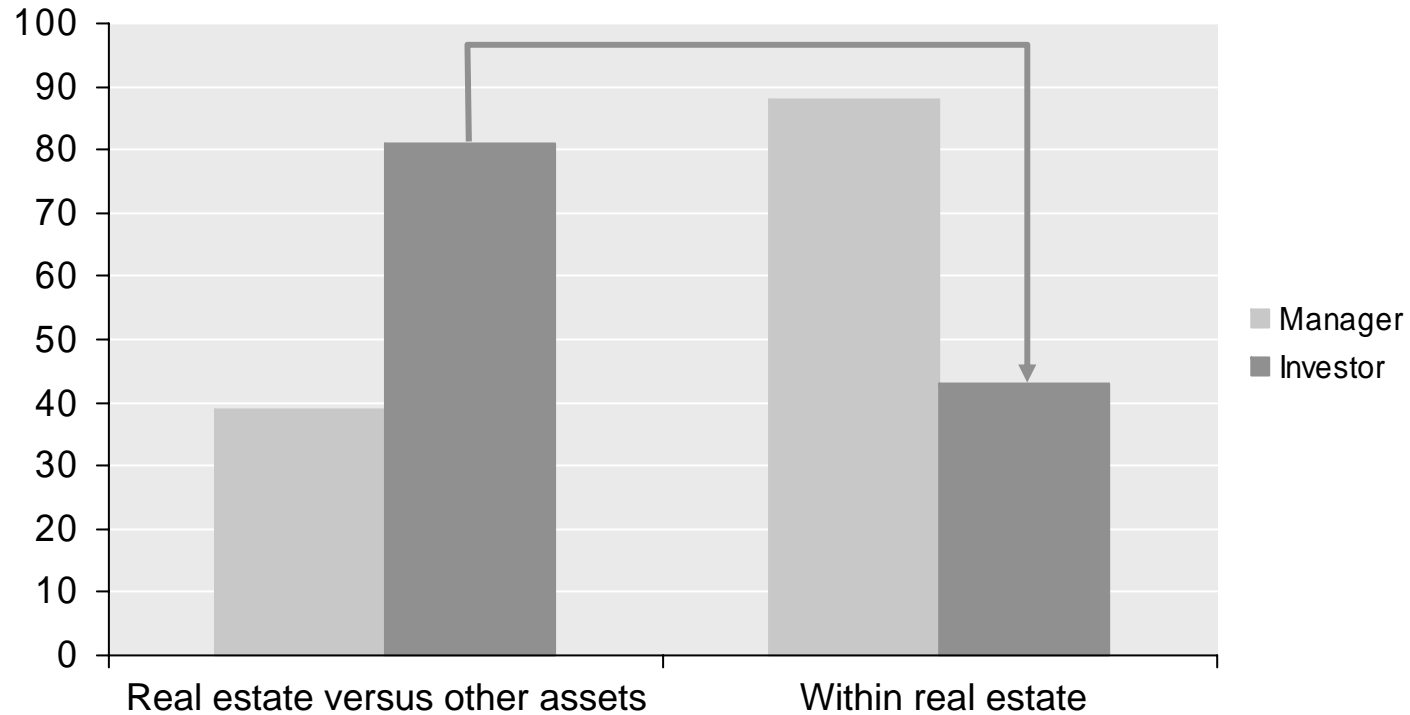
- Return series not available for all markets, or not of sufficient length
- Available series suffer from specific real estate specific characteristics





Risk in a Portfolio Context Data Quality Limits Use of Mean-Variance in Real Estate

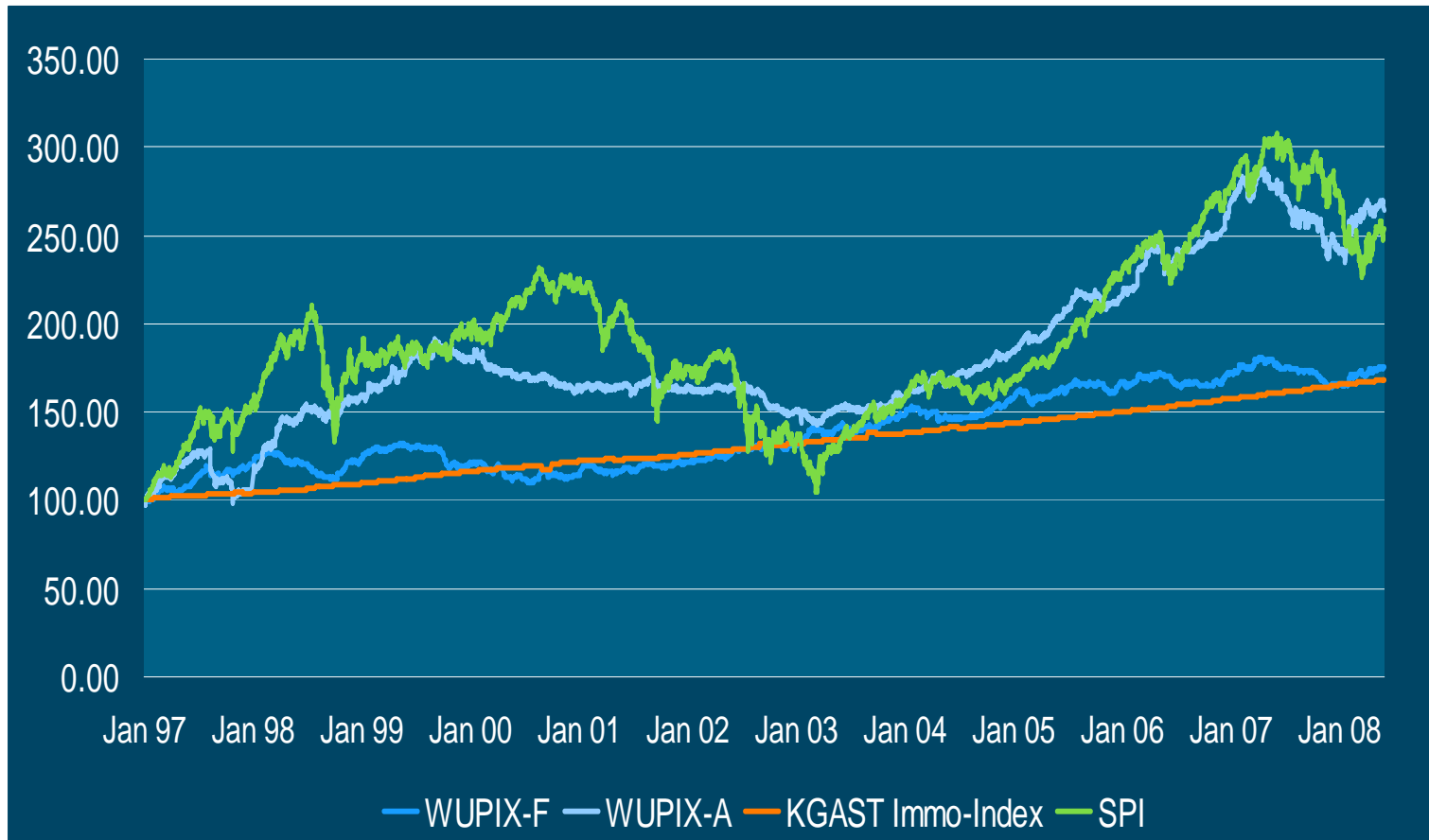
Percent respondents



Note: Survey based on 36 managers and 22 investors
Source: INREV investment intentions survey, 2005



The Price of Illiquidity and the Price of Illiquidity Risk





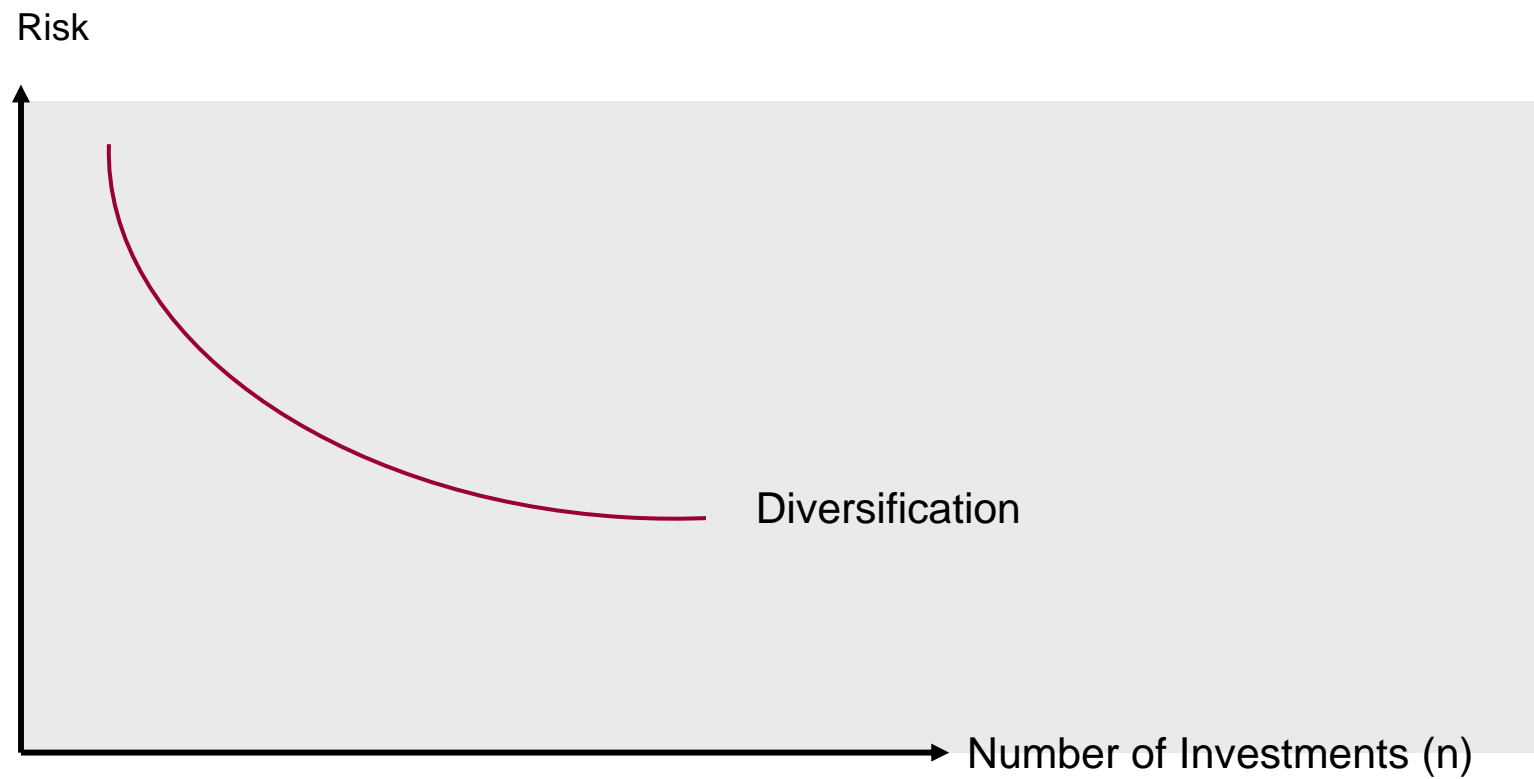
Inflation

What about the risk of (unexpected) inflation?

- Is (unexpected) inflation in your return a risk if your liabilities follow (unexpected) inflation?
- Yes, it is volatility (risk), but a “good” volatility that matches the volatility of the liabilities.

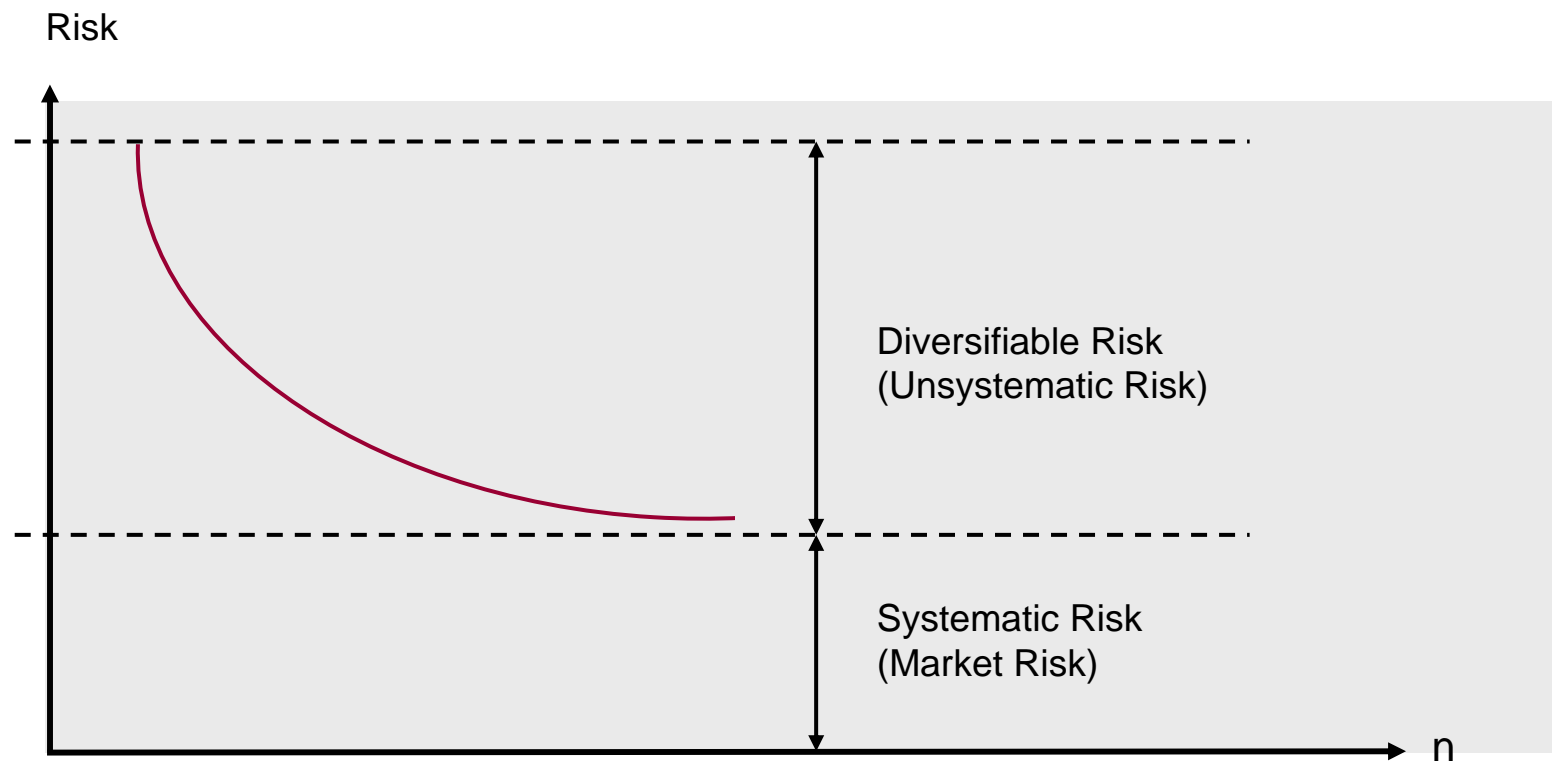


Risk Pricing





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Risk Pricing: Capital Asset Pricing Model (CAPM) vs. Real Estate Pricing

CAPM: In efficient markets is only systematic risk (market risk) priced. Rational investors do not pay for selling diversifiable risk.

Expected Return (a) = risk free rate + Beta x (expected market return - risk free rate)

$$Er(a) = r(f) + \text{Beta} [Er(m) + r(f)]$$

$$\text{Beta} = \frac{\text{Cov}[r(a), r(m)]}{SD(m)^2}$$



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Real Estate Pricing (Valuation)

$Er(a) = r(f) + \text{systematic RE risk} + \text{object-related RE risk (unsystematic risk)}$

What is the risk-reduction of a diversification in a specific RE portfolio?

What is the quantitative benefit of RE diversification?



Example of Risk Pricing in a Global RE Portfolio (PGGM)

Equation

$$RR = RF + \frac{GAV}{NAV} * RP_{\text{sector}} * RP_{\text{regio}} * RP_{\text{development}}$$

Factor

Explanation

RR

RF

GAV

NAV

RP_{sector}

RP_{regio}

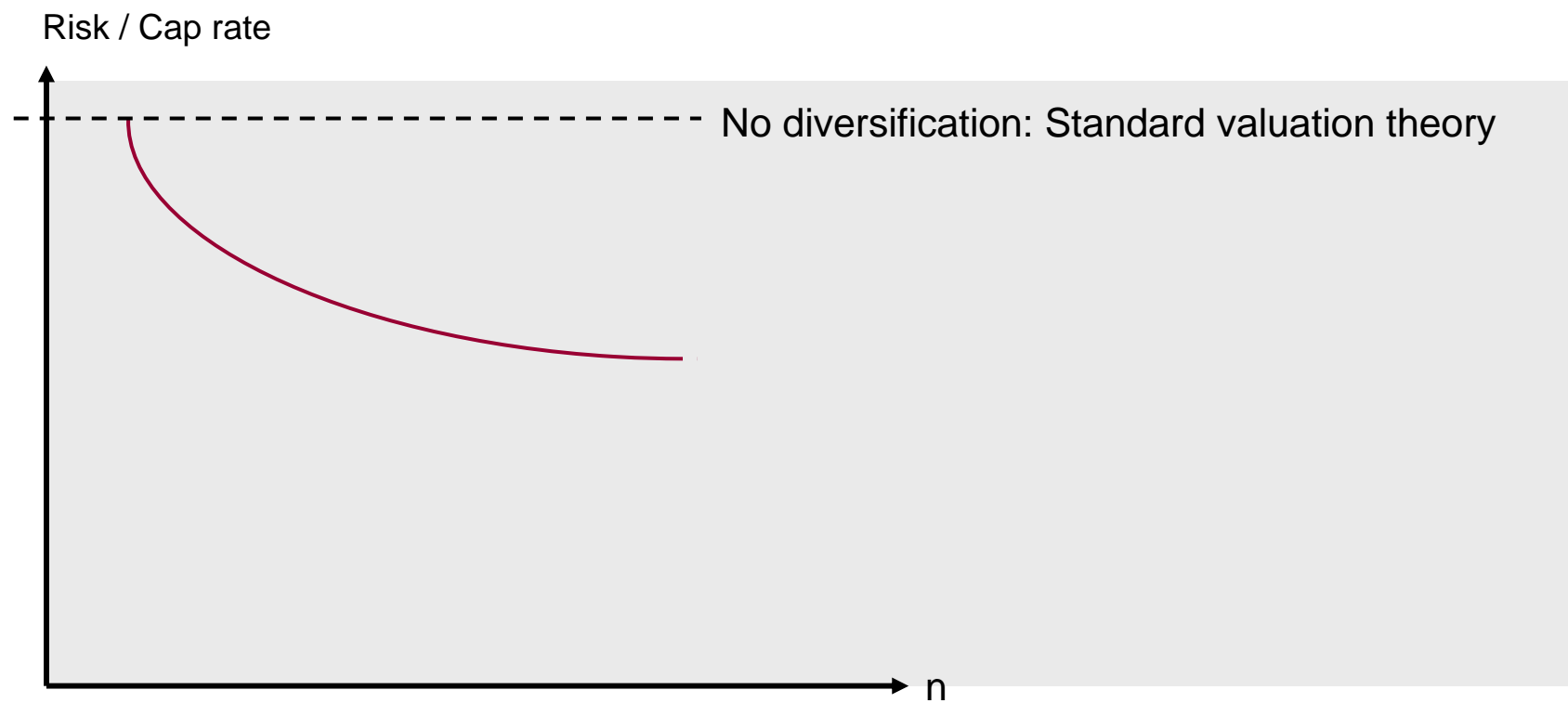
$RP_{\text{development}}$

- Required return
- Risk free rate, i.e. 10 yrs local IRS
- Gross Asset Value
- Net Asset Value
- Risk adjustment per sector, between 0.7 (residential) and 1.2 (offices)
- Risk premium per region, 2% for developed markets, 3% for emerging markets
- Risk adjustments for development risks, is 1 for no development risk, is 2 for 100% development risk

Source: Johan van der Ende, PGGM, INREV Seminar, Amsterdam 1st April 2008

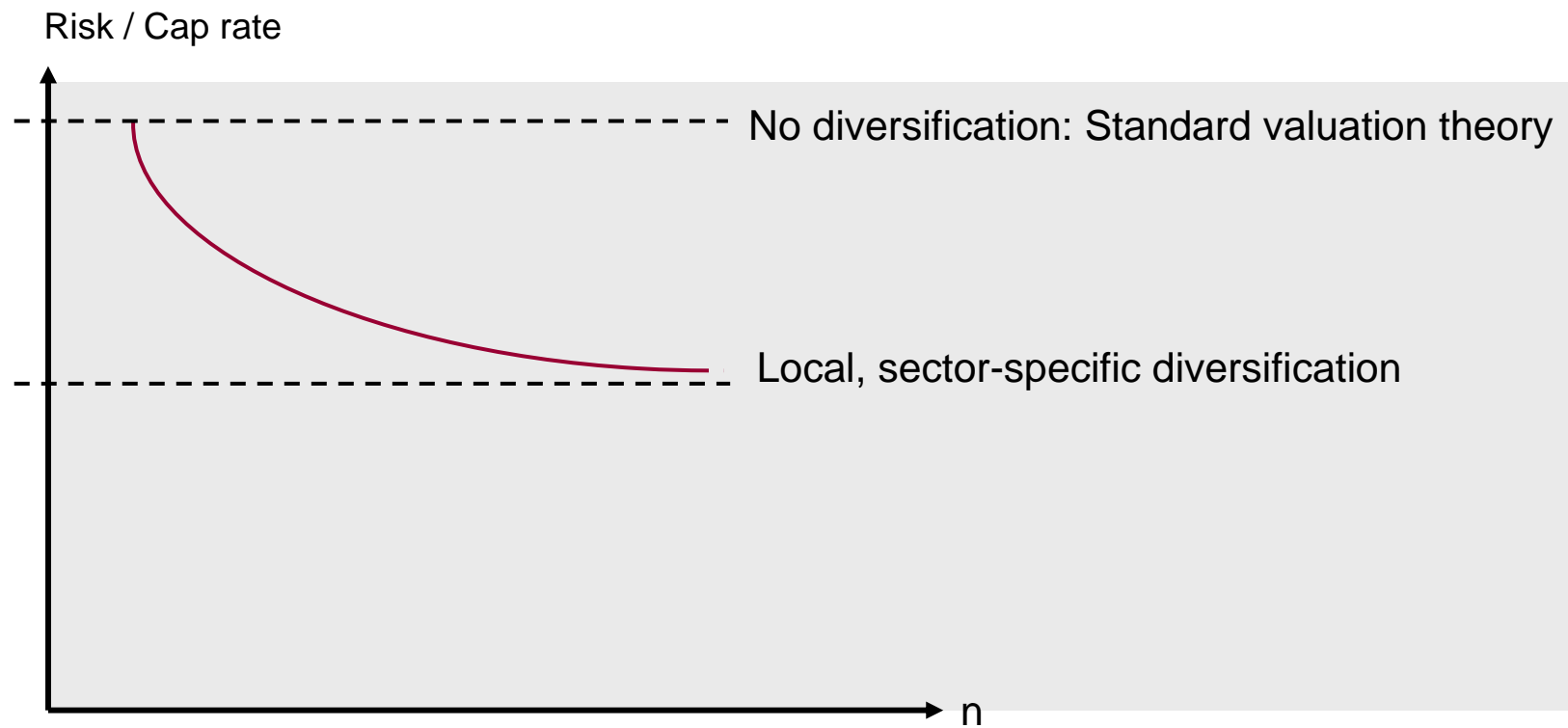


Risk Pricing – What is the Appropriate Cap Rate?



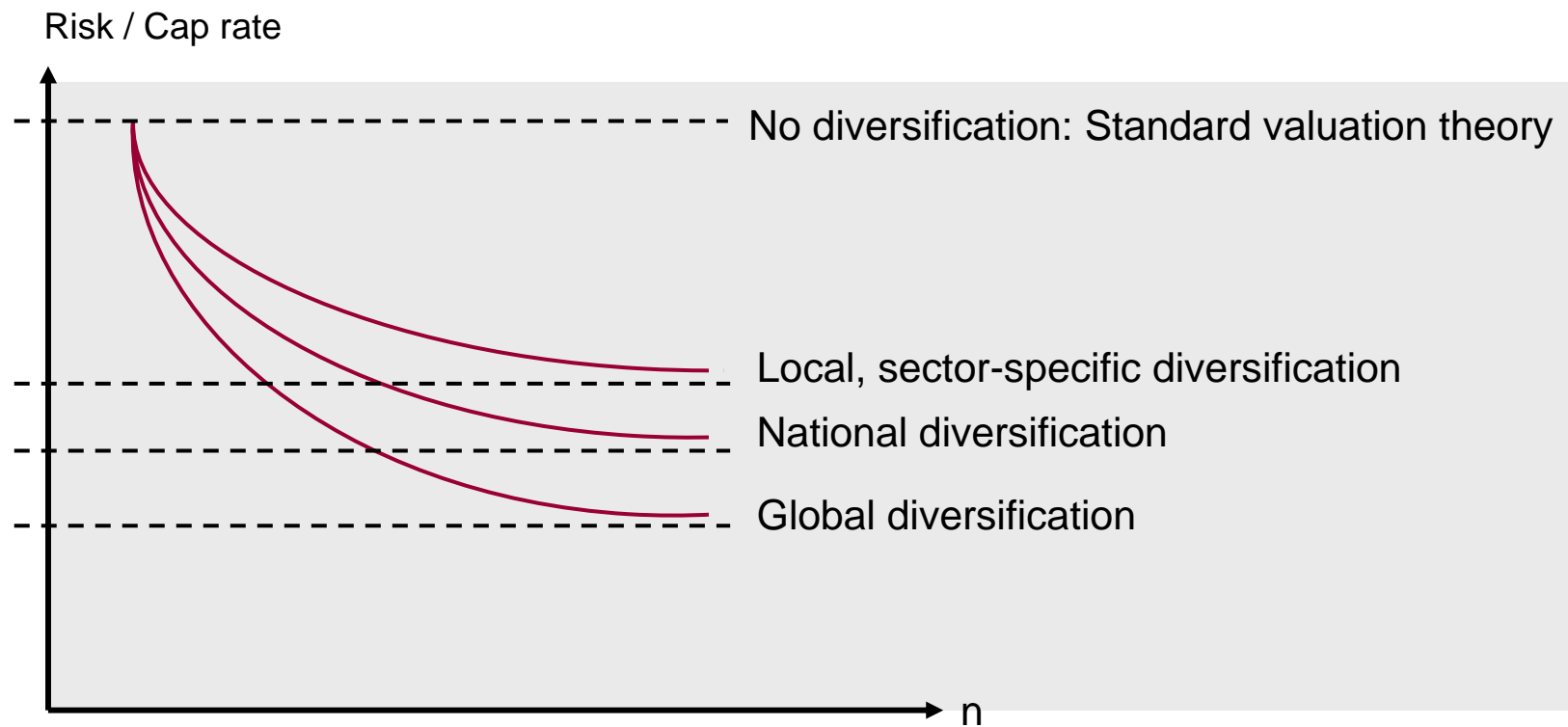


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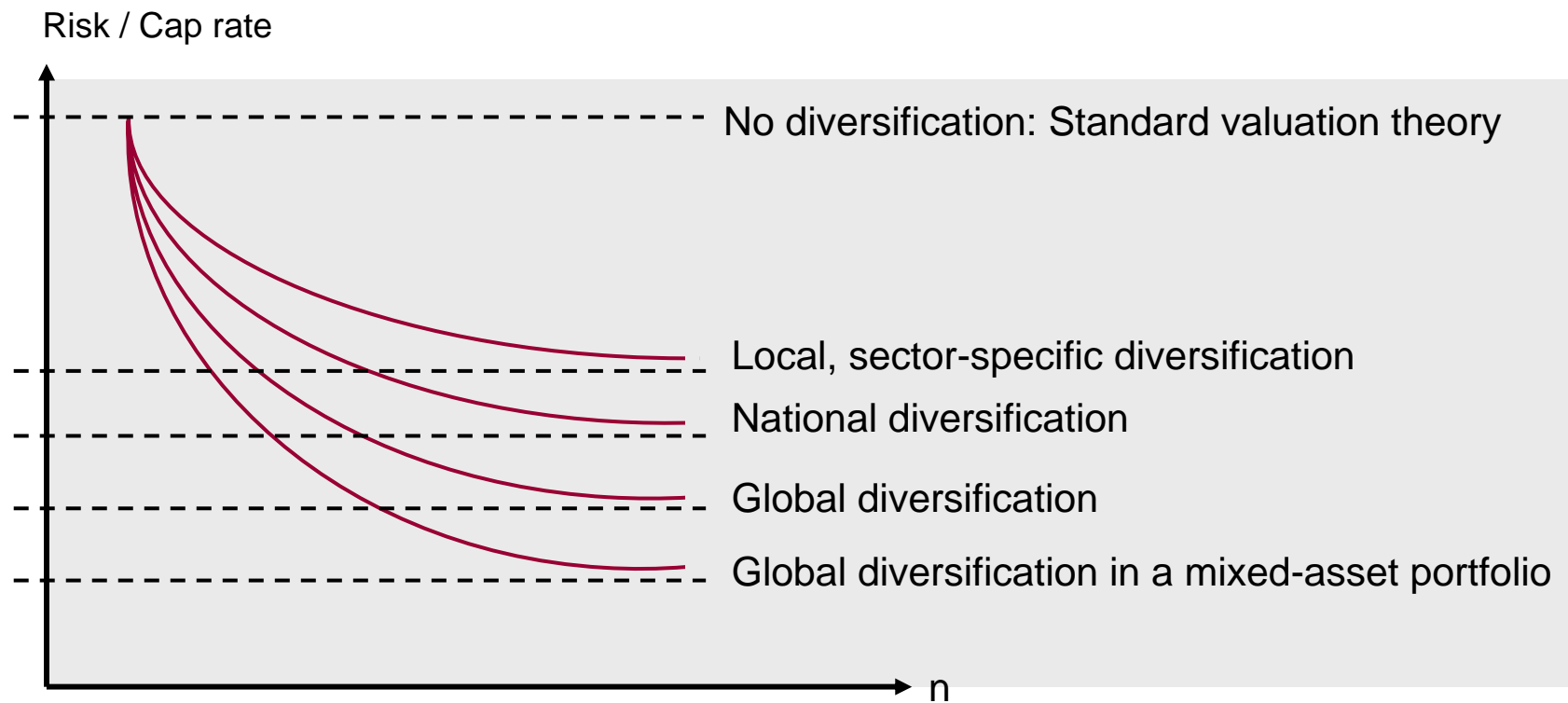


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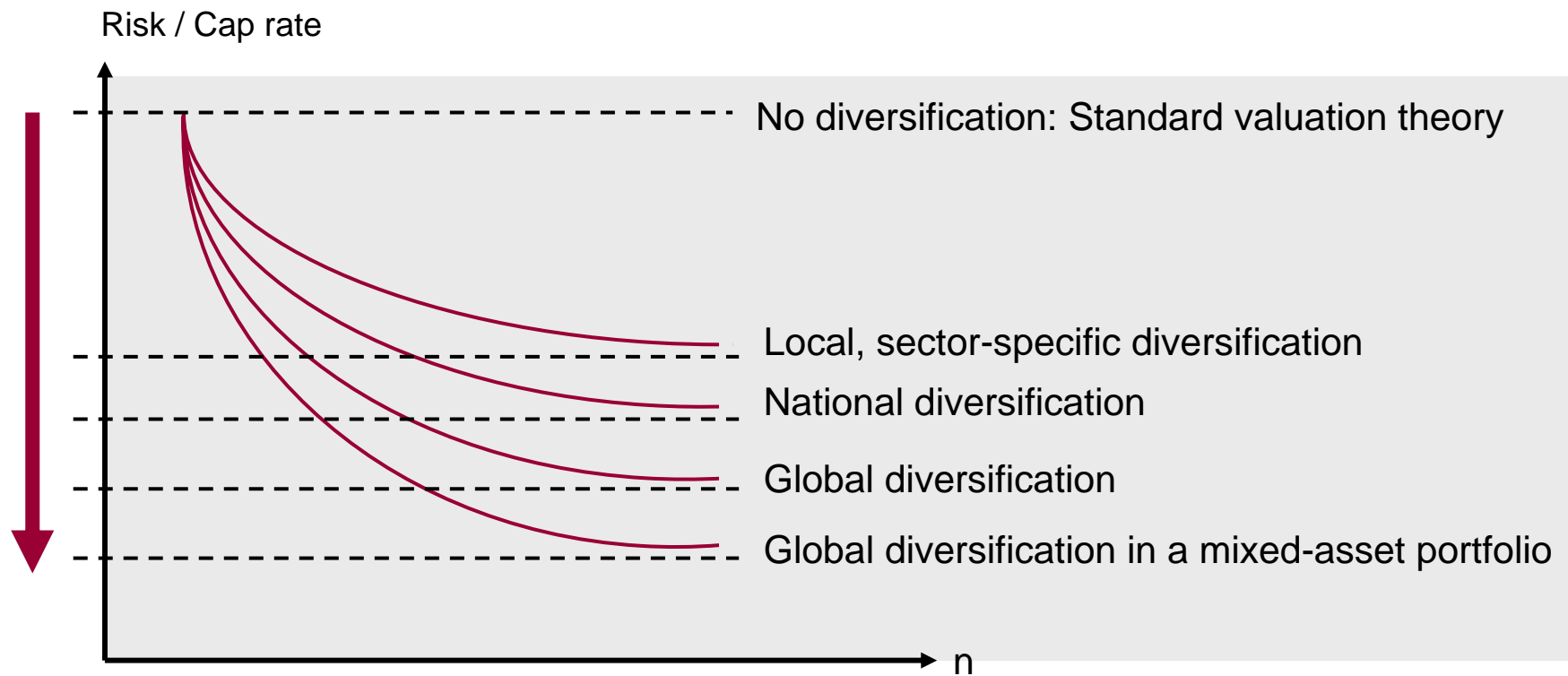


Risk Pricing – What is the Appropriate Cap Rate?





Risk Pricing – What is the Appropriate Cap Rate?



The better the diversification – the higher the willingness to pay for real estate



Conclusion

The **Best Diversifier** will be

The **Best Risk Owner**, with the highest willingness to pay, and therefore be

The **Best Owner**.

And in the end all properties are owned by their best owners.



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